© 2015 Kuta Software LLC. All rights reserved. Growth and Decay Review

Date_____ Period___

- 1) A population of field mice is 120. The population increastes at a rate of 9% a year. Write an exponential function that models this situation:
- 2) A rock of radioactive material has 500 atoms in it. The number of atoms decreases at a rate of 11% a day. Write an exponential function that models this situation.

- 3) A painting is valued at \$10,000 but the value increases at a rate os 3% a year. How much will the paining be worth in 5 years?
- 4) The population of wild ducks in Lake County is 2,500. The population is decreasing at a rate of 7% a year. How many ducks will be left in 10 years?

- 5) Mr. Miller has \$5000 to invest. If he invests into a savings account that pays 12% interest every year, how much money will he have in 5 years?
- 6) Mr. Miller has \$5000 to invest. If he invests into a CD that pays 1.1% interest every month, how much money will he have in 5 years?

- 7) Mr. Miller has \$5000 to invest. If he invests into a bond that pasys 4% interest every 6 months, how much money will he have in 5 years?
- 8) Mr. Miller has \$5000 to invest. If he invests into a mutual fund that pays 2.2% interest every 2 months, how much money will he have in five years?

9) Identify if the function below is growth or decay:

$$f(t) = 300 \cdot 1.12^5$$

10) Identify if the function below is growth or decay:

$$f(t) = 300(1 + 0.23)^5$$

11) Identify if the function below is growth or decay:

$$f(t) = 300(1 - 0.001)^5$$

12) Identify if the function below is growth or decay:

$$f(t) = 300 \cdot 0.82^5$$

13) Identify the RATE as a percent for the following function:

$$f(t) = 100 \cdot 1.32^3$$

14) Identify the RATE as a percent for the following function:

$$f(t) = 100(1 - 0.14)^3$$

15) Identify the RATE as a percent for the following function:

$$f(t) = 100 \cdot 0.75^3$$

16) Identify the RATE as a percent for the following function:

$$f(t) = 100 \cdot 1.014^3$$

Answers to Growth and Decay Review (ID: 1)

1) $f(t) = 120(1 + 0.09)^t$

5) 8,811.71

9) growth

13) 32%

2) $f(t) = 500(1 - 0.11)^t$

6) 9,639.16

10) growth

14) 14%

3) \$11592.74

7) 7,401.22

11) decay

15) 25%

4) 1209 ducks

8) 9,604.99

12) decay

16) 1.4%