

March 12th

Due Today: 9.5

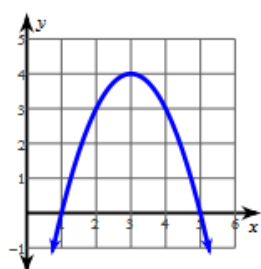
Due Tomorrow: HW 9.6

Unit 9: Quadratic Functions

Lesson 9.6: How to find the vertex algebraically!

**Get Ready: Check your homework!**

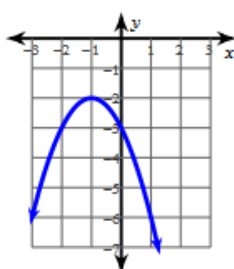
15)



18)

22)  $\{3, -5\}$ 

16)

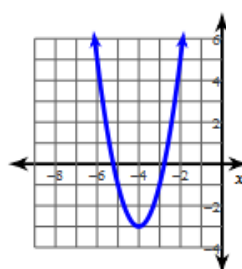
19)  $\{2, 6\}$ 

23) 1; two real solutions

20)  $\{5, -1\}$ 

24) -60; two imaginary solutions

17)

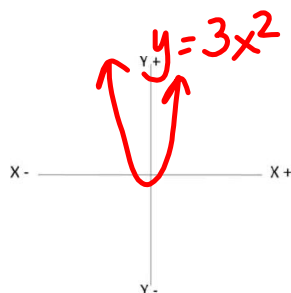


21) No solution.

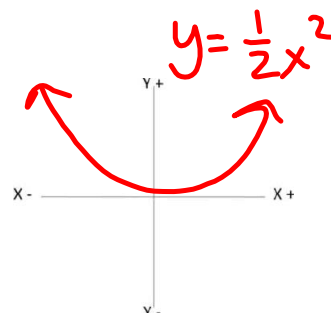


## How does the A value impact the shape of the parabola?

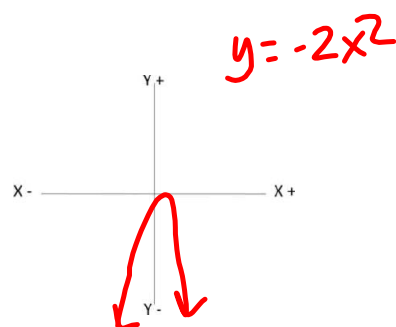
A is POSITIVE  
and BIGGER than 1



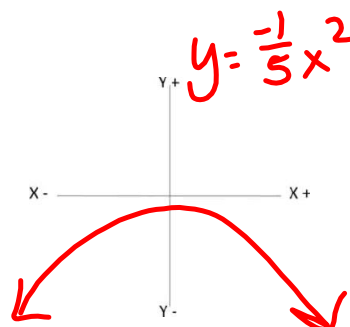
A is POSITIVE  
and SMALLER than 1



A is NEGATIVE  
and BIGGER than 1



A is NEGATIVE  
and SMALLER than 1



If A is bigger than 1 the parabola will be WIDE

If A is less than 1 the parabola will be NARROW

How can we find the vertex of this parabola???

$$y = 3x^2 + 18x + 24$$

✂ HANDY DANDY FORMULA! ✂

$$x = \frac{-b}{2a}$$

This formula is for the x coordinate of the vertex!

How can we find the vertex of this parabola???

$$y = 3x^2 + 18x + 24$$

$$a = 3, b = 18, c = 24$$

$$x = -\frac{b}{2a} = \frac{-18}{2(3)} = \frac{-18}{6} = -3$$

This is the  
x coordinate of  
the vertex!

Now, plug the x into the equation to get the y.

$$y = 3(-3)^2 + 18(-3) + 24$$

$$y = -3 \leftarrow \text{y coordinate of the vertex!}$$

Vertex:  $(-3, -3)$

→ write the vertex out as  
a point! don't forget  
the parenthesis!

$$y = 3x^2 + 18x + 24$$

Can we find the axis of symmetry?

We know the AOS is a vertical line through the vertex... So

if vertex =  $(-3, -3)$

The AOS:  $x = -3$

$$y = 3x^2 + 18x + 24$$

Can we find the roots?

The Roots are where the parabola crosses the x-axis, in other words, where  $y=0$ .

To find the Roots, let  $y=0$  and Solve the equation!

$$0 = \frac{3x^2 + 18x + 24}{\text{gcf}}$$

$$0 = 3(x^2 + 6x + 8)$$

$$0 = 3(x+2)(x+4)$$

$$\cancel{0=3}, \quad \begin{array}{c} 0=x+2 \\ -2 \quad -2 \end{array}, \quad \begin{array}{c} 0=x+4 \\ -4 \quad -4 \end{array}$$

Roots:  $x = -2, -4$

$$y = 3x^2 + 18x + 24$$

Vertex:  $(-3, -3)$

AOS:  $x = -3$

Roots:  $x = -2, -4$

your answer should look like This!

What if we cannot find the roots by  
factoring?

Then try the quadratic formula!

If you end up with a NEGATIVE DISCRIMINANT  
then and only then are there NO REAL  
ROOTS!



Find the Vertex, Roots and AoS of each parabola w/o graphing!

1.  $y = x^2 + 8x + 12$

1. Use handy dandy formula to find x-coord of vertex

2.  $y = -x^2 + 2x - 4$

2. plug x in to equation to get y

3. write out vertex  $(x, y)$

4. write out aos ( $x = x_{coord.}$ )

3.  $3x^2 + 6x$

5. let  $y=0$  + solve quad equation to find Roots

4.  $y = x^2 - 6x$

6. write out Roots

7. Circle Vertex, Aos, Roots.

**Find the Vertex, Roots and AoS of each parabola w/o graphing!**

1.  $y = 3x^2 + 6x$

2.  $y = -x^2 + 2x - 4$

3.  $y = x^2 + 8x + 12$

4.  $y = x^2 - 6x$

# Unit 9: Quadratic Equations

| Lesson # | Name                                      | Recap | HW                                                                  |
|----------|-------------------------------------------|-------|---------------------------------------------------------------------|
| 9.1      | Intro to Quadratics                       |       | HW 9.1                                                              |
| 9.2      | Solving Quads by Completing the Square    |       | HW 9.2                                                              |
| 9.3      | Solving Quads using the Quadratic Formula |       | HW 9.3<br><br>QUIZ WED: - factoring, comp. the square, quad formula |
| 9.4      | Quiz + Picking a Method                   |       | HW 9.4                                                              |
| 9.5      | Graphing Parabolas                        |       | Finish Packet                                                       |
| 9.6      | Finding the vertex Algebraically          |       | HW 9.6<br><br>QUIZ MONDAY!                                          |
|          |                                           |       |                                                                     |

